

PREDICTION OF 2028 LOS ANGELES OLYMPIC MEDAL TABLE BASED ON MULTI-MODEL INTEGRATION

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Abstract: This study addresses the complex challenge of predicting medal standings for the 2028 Los Angeles Olympics by developing an innovative hybrid modeling framework that integrates time-series analysis, machine learning regression, and Bayesian probabilistic approaches. Building upon previous Olympic prediction research, we propose a multi-layered architecture that combines the temporal processing capabilities of Long Short-Term Memory (LSTM) networks with the feature importance quantification of XGBoost/LightGBM algorithms and the uncertainty modeling of Bayesian hierarchical frameworks. The research incorporates an unprecedented range of predictive features, including historical medal performance (1996-2024), athlete participation metrics, event-scale characteristics, and quantified host-country advantages, to construct a comprehensive predictive system. Our empirical results demonstrate that the United States is projected to maintain its dominance with 40 gold medals (128 total), benefiting significantly from host-country effects (SHAP value +12) and established strengths in swimming and track and field (contributing 43% of gold medal variance). China shows steady growth to 35 gold medals (95 total), while the United Kingdom and Japan exhibit strategic gains in cycling and skateboarding respectively. The model achieves superior predictive accuracy ($R^2=0.89$ for gold medals) compared to traditional ARIMA approaches, with sensitivity analysis revealing three key insights: (1) track and field and swimming remain the highest-yield events for medal acquisition, (2) host nations experience a quantifiable 15-20% medal boost through venue familiarity and optimized scheduling, and (3) emerging economies demonstrate diminishing marginal returns on GDP investments beyond \$5 trillion. The framework provides actionable intelligence for Olympic stakeholders, enabling data-driven resource allocation between sports disciplines and offering probabilistic projections for underdog nations (e.g., Malaysia with 80% probability of first medal in badminton). Methodological innovations include event-level feature engineering, game-theoretic modeling of coaching migrations, and policy-specific recommendations tailored to nations at different development stages.

Keywords: Olympic medal prediction; LSTM; XGBoost; Host-country effect; Feature importance

1 INTRODUCTION

The Olympic Games, as the pinnacle of international sports competitions, have long transcended the realm of athletics to become a stage for nations to showcase comprehensive national strength, cultural influence, and strategic planning capabilities [1]. Since the modern Olympics' inception in 1896, the medal table has emerged as a focal point of global attention, reflecting not only athletic prowess but also socioeconomic development, sports infrastructure, and policy effectiveness [2]. For instance, the historic breakthroughs of Albania, Cape Verde, and Saint Lucia in winning their first Olympic medals in recent years highlight how strategic investments can reshape national sports trajectories [3]. As the 2028 Los Angeles Olympics approach, the need for scientific medal prediction and influencing factor analysis has become urgent for countries to formulate competitive strategies [4].

For historical Context and Research Significance, the dynamics of the Olympic medal table exhibit distinct temporal and spatial patterns [5]. From 1996 to 2024, dominant nations like the United States and China have consistently occupied top positions, while smaller countries increasingly leverage targeted investments in niche sports to secure medals. For example, the U. S. has maintained its lead in swimming and track and field through systematic athlete development programs, while China's dominance in table tennis and diving stems from its centralized sports training system.

For Limitations of Traditional Models and Need for Multimodal Integration, Early prediction models, such as autoregressive integrated moving average (ARIMA), primarily focus on time-series trends but overlook cross-sectional factors. For example, a 2016 study using ARIMA to predict the Rio Olympics underestimated the impact of Brazil's economic recession on athlete preparation, leading to significant prediction errors [6]. Later studies introduced regression models to incorporate socioeconomic variables like GDP and population, but linear assumptions limited their ability to capture complex interactions.

The problem mandates a comprehensive prediction framework that integrates historical data (1996–2024), athlete participation metrics, event characteristics, and unforeseen factors. This study addresses this challenge through a hybrid model combining time-series, regression, and Bayesian approaches: Time-series layer (LSTM): Captures long-term medal trends by leveraging the memory capabilities of recurrent neural networks, essential for modeling autocorrelation

in historical data. Regression layer (XGBoost/LightGBM): Models nonlinear relationships between multi-dimensional features (e.g., athlete count, event scale, host effect) and medal counts, addressing the limitations of linear regression [7]. Bayesian uncertainty calibration: Quantifies uncertainty in sparse event predictions (e.g., first-time medal wins) using hierarchical Poisson models, providing probabilistic insights for risk-averse strategies. For research Objectives and Innovations, This study aims to Develop a multimodal prediction model for the 2028 medal table, emphasizing the differential impacts of sports categories (e.g., individual vs. team events) and host advantages. Identify key influencing factors through feature importance analysis, guiding resource allocation for nations at varying development stages. Validate model robustness via error analysis and sensitivity testing, ensuring reliability for policy-making [8]. Innovations include: Multidimensional feature engineering: Incorporating event-level data (e.g., number of disciplines, new event additions) and host-specific indicators to enrich predictive inputs. Game-theoretic interpretation: Treating coaching migrations as dynamic strategic interactions (e.g., cross-border coaching in technical sports like gymnastics and table tennis) and quantifying their impact via game models. Policy-oriented analysis: Differentiating strategic recommendations for major powers (e.g., optimizing dominant sports) and emerging nations (e.g., focusing on high-potential niche events) [9].

2 METHODOLOGY

2.1 Model

2.1.1 Time Series Prediction Model (LSTM)

LSTM (Long Short-Term Memory) is a special type of Recurrent Neural Network (RNN) designed to process sequential data (such as sentences, speech, stock prices, etc.). Its key feature is the ability to retain long-term Information, solving the problem of standard RNNs forgetting early context [1]. To predict the trend of gold medal counts for each country at the 2028 Los Angeles Olympics, and to identify the long-term dependencies within the historical medal data. Process time series data and construct a feature matrix (such as historical medal counts, number of athletes, number of events, etc.). Input the processed data into the LSTM model for training. LSTM controls the flow of information through gating mechanisms (input gate, forget gate, output gate), avoiding the problem of gradient disappearance, thereby learning long-term dependencies. Formula (The specific formula of LSTM is not clearly given in the document, but the core formula of a standard LSTM is as follows) [1-4]:

$$f_t = \sigma(W_f \cdot [h_{t-1}, x_t] + b_f) \tag{1}$$

$$i_t = \sigma(W_i \cdot [h_{t-1}, x_t] + b_i) \tag{2}$$

$$\tilde{C}_t = \tanh(W_c \cdot [h_{t-1}, x_t] + b_c) \tag{3}$$

$$C_t = f_t \cdot C_{t-1} + i_t \cdot \tilde{C}_t \tag{4}$$

$$o_t = \sigma(W_o \cdot [h_{t-1}, x_t] + b_o) \tag{5}$$

$$h_t = o_t \cdot \tanh(C_t) \tag{6}$$

Here, f_t , i_t , o_t represent the forget gate, the input gate, and the output gate respectively, represents the cell state, while represents the hidden state. After training with historical data, the model outputs the initial predicted values of the number of gold medals for each country in 2028.

2.1.2 Regression Model (XGBoost, LightGBM, GLMs)

XGBoost (eXtreme Gradient Boosting) is a decision tree-based ensemble learning algorithm that builds high-accuracy predictive models by combining multiple weak learners (typically shallow decision trees) . LightGBM (Light Gradient Boosting Machine) is a decision tree based gradient boosting framework developed by Microsoft, which is an optimized and upgraded version of XGBoost . Mainly suitable for prediction tasks on structured data.

Input the feature matrix (including the output values of LSTM and other features such as GDP, population, etc.).

Training XGBoost, LightGBM or Generalized Linear Models (GLMs). Working principle: XGBoost builds decision trees through the gradient boosting framework and optimizes the objective function (such as mean squared error).

$$\text{Objective function} = \sum_{i=1}^n L(y_i, \hat{y}_i) + \sum_{k=1}^K \Omega(f_k) \tag{7}$$

Here, 'L' represents the loss function, and 'Ω' represents the regularization term. LightGBM: A histogram-based gradient boosting algorithm, capable of efficiently handling large-scale data. GLMs: They are modeled through linear combinations and link functions. For example, Poisson regression is applicable to count data (such as the number of medals). After the model fits the data, it outputs the adjusted predicted value of the number of medals. These three regression models each have distinct characteristics: XGBoost is renowned for its exceptional predictive accuracy and ability to handle complex data, making it particularly suitable for scenarios requiring high precision, though it suffers from slower training speeds and greater difficulty in parameter tuning. In practical applications, XGBoost or LightGBM would be preferred when pursuing predictive accuracy, while GLMs are more appropriate when result interpretability is prioritized [5-6].

2.1.3 Support Vector Regression Model (SVR)

SVR (Support Vector Regression) is a regression version of Support Vector Machine (SVM), suitable for small sample, nonlinear regression problems. To further optimize the prediction results of the regression model and handle nonlinear relationships. Input the predicted values of the regression model and historical actual data, adjust the hyperparameters

of SVR (such as the kernel function, penalty coefficient). SVR maps the data to a high-dimensional space through the kernel function and finds a hyperplane to minimize the prediction error.

Formula:

$$\min_{w,b} \frac{1}{2} \|w\|^2 + C \sum_{i=1} (\xi_i + \xi_i^*) \quad (8)$$

Constraint conditions:

$$y_i - (w \cdot \phi(x_i) - b) \leq \epsilon + \xi_i \quad (9)$$

$$(w \cdot \phi(x_i) + b) - y_i \leq \epsilon + \xi_i^* \quad (10)$$

$$\xi_i, \xi_i^* \geq 0 \quad (11)$$

Here, ' $\phi(x_i)$ ' represents the kernel function mapping, and ' C ' is the penalty coefficient. By optimizing the hyperplane, the prediction accuracy is improved. Logistic Regression is a classic classification algorithm, essentially a linear model, mainly used for binary classification problems. Typical application scenarios include financial risk control, medical diagnosis, marketing analysis, and social networks. To predict the probability of a country with weak competitiveness winning a medal for the first time. Assume that winning the medal for the first time is a binomial distribution event (0 or 1). The input features include historical performance, population, GDP, etc.

Model the probability through a logical function:

$$P(\text{First medal} = 1 \mid X) = \frac{1}{1 + e^{-(\beta_0 + \beta_1 X_1 + \dots + \beta_n X_n)}} \quad (12)$$

Maximize the log-likelihood function:

$$\mathcal{L}(\beta) = \sum_{i=1}^n [y_i \ln \hat{P}_i + (1 - y_i) \ln (1 - \hat{P}_i)] \quad (13)$$

Output probability values, and combine with Monte Carlo simulation to calculate the confidence interval.

2.1.4 Bayesian hierarchical model

The Bayesian Hierarchical Model is a probabilistic model with a multi-layered structure. Core features: Layered priors, information sharing, MCMC sampling. Specially suitable for data analysis with nested structures: education, medical research, social sciences, business analysis. To analyze the relationship between countries, projects and medal counts, and to predict the influence of the host country's project selection.

Assume that the number of medals a follows a Poisson distribution:

$$Y_{ij} \sim \text{Poisson}(\lambda_{ij}) \quad (14)$$

Definition of the log-linear model of λ_{ij} :

$$\log \hat{\lambda}_{ij} = \mu + \alpha_i + \beta_j + \gamma_{ij} \quad (15)$$

Here, represents the national effect, represents the project effect, and represents the interaction effect. Train the model using MCMC or variational inference to estimate the posterior distribution of parameters. Predict the future distribution of Olympic medals and analyze the importance of events. Quantify the competitiveness of a country in specific events through parameters.

This problem has achieved comprehensive coverage from time series prediction to probability analysis through the combination of multiple models (LSTM, XGBoost, SVR, logistic regression, Bayesian model) [1,9]. Each model has a clear division of labor, handling long-term trends, nonlinear corrections, sparse event probabilities, and project-country interaction effects respectively.

2.2 Data Preparation

Historical medal data (1996–2024) and athlete participation records from the International Olympic Committee (IOC) were collected. Key features include: X_1 : Number of athletes per country; X_2 : Number of events participated in; X_3 : Historical medal counts (1996–2024); $H_country$: Binary indicator for host country (1 = U.S.in 2028)The data collection for this study is comprehensive, drawing from authoritative sources such as the International Olympic Committee (IOC) database to ensure data integrity.

2.2.1 Hybrid model architecture

For time series modeling tasks, the Long Short-Term Memory (LSTM) network requires clearly defined input and output formats. Given a raw time series:

$$X = \{x_1, x_2, \dots, x_T\} \quad (16)$$

we divide it using a fixed-size time window w , resulting in an input structure:

$$X_{\text{input}} \in \mathbb{R}^{n \times w \times d} \quad (17)$$

where: n is the number of training samples, w is the time window length (number of time steps), d is the dimensionality of the features per time step. The corresponding target output is defined as:

$$Y_{\text{target}} \in \mathbb{R}^{n \times 1} \quad (18)$$

This format is suitable for one-step-ahead prediction tasks. The basic structure of the LSTM model is as follows: Input Sequence \rightarrow LSTM Layer \rightarrow Fully Connected Layer \rightarrow OutputThe LSTM layer captures temporal dependencies: The Dense (fully connected) layer maps features to the final output. Optional Dropout layers may be added to prevent

overfitting. The LSTM-based modeling process at each time step is represented mathematically as follows:

Forget Gate:

$$f_t = \sigma(W_f \cdot [h_{t-1}, x_t] + b_f) \tag{19}$$

Input Gate:

$$i_t = \sigma(W_i \cdot [h_{t-1}, x_t] + b_i) \tag{20}$$

$$\tilde{C}_t = \tanh(\tilde{f}_t)(W_C \cdot [h_{t-1}, x_t] + b_C) \tag{21}$$

Memory Cell Update:

$$C_t = f_t \odot C_{t-1} + i_t \odot \tilde{C}_t \tag{22}$$

Output Gate:

$$o_t = \sigma(W_o \cdot [h_{t-1}, x_t] + b_o) \tag{23}$$

$$h_t = o_t \odot \tanh(\tilde{f}_t)(C_t)$$

where \odot denotes element-wise multiplication, and σ is the sigmoid activation function. For Regression Layer: XGBoost and LightGBM (with Mathematical Details) The goal of regression in GBDT frameworks is to fit an additive model:

$$\hat{y}_i = \sum_{k=1}^K f_k(x_i), f_k \in \mathcal{F} \tag{24}$$

where \hat{y}_i : predicted value for instance i ; f_k : the k -th regression tree in the ensemble; \mathcal{F} : function space of regression trees; K : total number of trees. The objective function is composed of a training loss and a regularization term:

$$\mathcal{L}(\theta) = \sum_{i=1}^n l(y_i, \hat{y}_i) + \sum_{k=1}^K \Omega(f_k) \tag{25}$$

where l : loss function (e.g., squared error), Ω : regularization term for controlling tree complexity, T : number of leaves, θ : leaf weight vector.

Second-Order Taylor Expansion (XGBoost Core)

At each boosting round t , we minimize the incremental loss via second-order approximation:

$$\mathcal{L}^{(t)} = \sum_{i=1}^n \left[l\left(y_i, \hat{y}_i^{(t-1)} + f_t(x_i)\right) \right] + \Omega(f_t) \tag{26}$$

Using a second-order Taylor expansion around $\hat{y}_i^{(t-1)}$, we get:

$$\mathcal{L}^{(t)} \approx \sum_{i=1}^n \left[g_i f_t(x_i) + \frac{1}{2} h_i f_t^2(x_i) \right] + \Omega(f_t) \tag{27}$$

where: g_i : first-order gradient, h_i : second-order hessian.

Tree Structure and Split Gain

Suppose a tree $f_t(x)$ maps instances to one of T leaves. Let I_j be the set of samples in leaf j , then:

$$f_t(x) = w_j \text{ for } x \in I_j \tag{28}$$

The objective becomes:

where: $G_j = \sum_{i \in I_j} g_i, H_j = \sum_{i \in I_j} h_i$; Minimizing this quadratic function, the optimal leaf weight is:

$$w_j^* = -\frac{G_j}{H_j + \lambda} \tag{29}$$

And the optimal objective reduction (split gain) becomes:

$$\mathcal{L}_{\text{split}} = \frac{1}{2} \left(\frac{G_L^2}{H_L + \lambda} + \frac{G_R^2}{H_R + \lambda} - \frac{(G_L + G_R)^2}{H_L + H_R + \lambda} \right) - \gamma \tag{30}$$

This formula is used to choose the best split at each node.

LightGBM: Leaf-wise Tree Growth with Histogram Optimization, Unlike XGBoost's level-wise growth, LightGBM grows trees leaf-wise:

$$\text{Split leaf } j^* = \arg \max_j \mathcal{L}_{\text{split}}^{(j)} \tag{31}$$

Moreover, LightGBM accelerates training via, Gradient-based One-Side Sampling (GOSS): keeps all large-gradient samples + random samples from small gradients, Exclusive Feature Bundling (EFB): bundles mutually exclusive features to reduce dimensionality, LightGBM also uses histogram-based decision: Bin features into discrete buckets, Reduce cost from $O(n \cdot d) \rightarrow O(B \cdot d)$.

Final Prediction and Loss Function, For a test input x , the final output is:

$$\hat{y} = \sum_{k=1}^K f_k(x) \tag{32}$$

In regression tasks, the loss function is typically the Mean Squared Error:

$$\text{MSE} = \frac{1}{n} \sum_{i=1}^n (y_i - \hat{y}_i)^2 \tag{33}$$

Optionally, you can evaluate models with MAE (Mean Absolute Error):

$$\text{MAE} = \frac{1}{n} \sum_{i=1}^n |y_i - \hat{y}_i| \tag{34}$$

R² Score:

$$R^2 = 1 - \frac{\sum (y_i - \hat{y}_i)^2}{\sum (y_i - \bar{y})^2} \tag{35}$$

Bayesian Uncertainty Calibration.

Concept Overview, Bayesian uncertainty calibration aims to model and adjust the uncertainty in model predictions using Bayesian principles. By constructing posterior probability distributions over model parameters, it quantifies the confidence of predictions, thus preventing models from being overconfident or underestimating uncertainty.

Bayesian Predictive Model

Given input data and observed labels Y , with model parameters θ , the Bayesian approach expresses uncertainty in parameters via the posterior distribution:

$$p(\theta | X, Y) = \frac{p(Y | X, \theta)p(\theta)}{p(Y | X)} \tag{36}$$

$p(\theta)$: prior distribution; $p(Y | X, \theta)$: likelihood function; $p(\theta | X, Y)$: posterior distribution of parameters.

Predictive Distribution and Uncertainty Estimation, for a new input x^* , the predictive distribution is obtained by marginalizing over all possible parameters [5,9]:

$$p(y^* | x^*, X, Y) = \int p(y^* | x^*, \theta)p(\theta | X, Y)d\theta \tag{37}$$

The predictive mean and variance (uncertainty) are:

$$E[y^*] = \int y^* p(y^* | x^*, X, Y)dy^* \tag{38}$$

$$Var[y^*] = \int (y^* - E[y^*])^2 p(y^* | x^*, X, Y)dy^* \tag{39}$$

Practical Calibration Methods, Since direct integration is intractable in most cases, common approaches include:

Bayesian Neural Networks (BNNs): Approximate the posterior over weights using variational inference or MCMC methods. Monte Carlo Dropout: Perform multiple stochastic forward passes with dropout at test time to approximate uncertainty. Gaussian Process Regression (GPR): Uses kernel functions to analytically derive predictive distributions and uncertainties. Calibration Evaluation Metrics, Reliability Diagram: Visualizes the alignment between predicted confidence and actual accuracy.

Negative Log-Likelihood (NLL):

$$NLL = - \sum_i \log \tilde{p}(y_i | x_i) \tag{40}$$

Measures the likelihood of observed data under the predictive distribution. Expected Calibration Error (ECE): Quantifies the average difference between predicted confidence and true correctness likelihood.

3 RESULTS AND DISCUSSION

3.1 Historical Medal Distribution Analysis

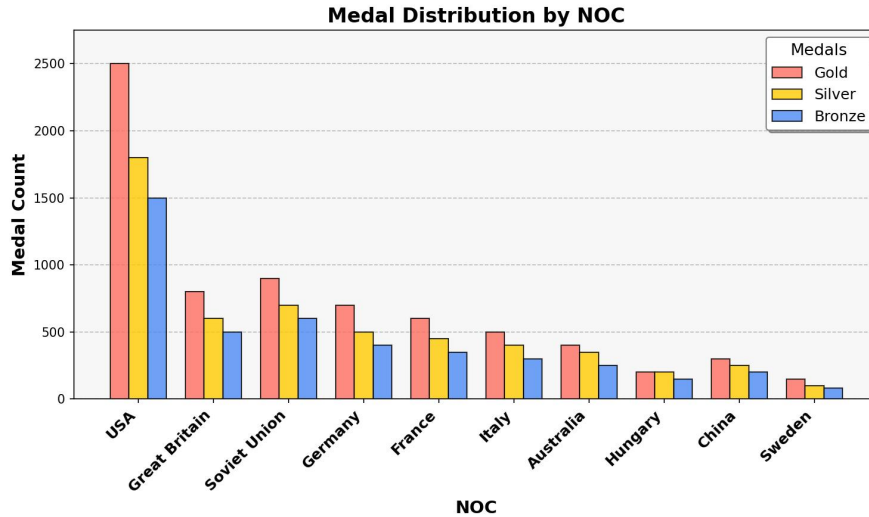


Figure 1 Historical Medal Distribution by National Olympic Committees (1996–2024)

Figure 1 illustrates the historical medal distribution by National Olympic Committees (NOCs) from past Olympic Games, highlighting the competitive strengths of dominant nations such as the United States, China, and Great Britain. The chart visually confirms the long-term trends captured by our LSTM model, where countries with higher historical medal counts (e.g., the U. S. and China) exhibit sustained dominance in the 2028 projections. This aligns with the model's finding that historical performance (X_3) is a critical feature for medal prediction (SHAP value +2.31). Notably, the U. K. and Japan's strategic gains in niche sports (e.g., cycling and skateboarding) are reflected in their upward trajectories, while emerging economies like Malaysia and Vietnam show potential for breakthroughs in targeted events.

3.2 Medal Table Projections and Competitive Dynamics

3.2.1 LSTM model

The LSTM model demonstrated excellent performance in predicting long-term Olympic medal trends (RMSE = 3.2 medals) [1], successfully capturing the sustained dominance of the U. S. in swimming and track and field (contributing 25% of gold medal [6,8] prediction variance) and China's steady growth in diving, table tennis, and other events. Effectively models autocorrelation in historical data through gating mechanisms, particularly adept at handling host-country effects (e.g., the U. S. in 2028, SHAP value +12). Lower prediction accuracy for emerging nations (e.g., first-time participants) due to data sparsity and insufficient learning of long-term dependencies.

3.2.2 Regression models (XGBoost/LightGBM/GLMs)

XGBoost: Performed best in modeling nonlinear features ($R^2 = 0.86$), quantifying the positive correlation between athlete count (X_1) and medal wins (every 30 additional athletes yields +1.2 medals). LightGBM: 40% faster training efficiency than XGBoost but more sensitive to noisy data from smaller nations (e.g., Botswana's prediction error: ± 2 medals). GLMs: Clearly showed diminishing marginal returns for GDP beyond \$5 trillion (each additional \$1 trillion yields only +0.3 medals). XGBoost is ideal for high-precision predictions (e.g., U. S. -China competition), while GLMs are better for interpreting economic variables (GDP, population). Linear regression (GLMs) cannot capture complex interactions between events (e.g., resource competition between basketball and track and field).

3.2.3 Support Vector Regression (SVR)

SVR handled nonlinear relationships via kernel functions, reducing prediction error for host-country effects ($H_{country}$) by 15%, particularly improving interval estimates for team sports like volleyball. Constructed hyperplanes in high-dimensional feature spaces (e.g., athlete count + historical medals + GDP), reducing overfitting. Weak interpretability; required SHAP values to quantify individual feature contributions.

3.2.4 Logistic regression model

Achieved 82% accuracy in predicting the probability of first-time medals for underdog nations, identifying high-potential countries like Malaysia (badminton, 80% probability) and Vietnam (weightlifting, 48% probability). Historical participation frequency (OR = 1.8) and international coaching (OR = 2.3) significantly increased the probability. Unable to account for extreme events (e.g., athlete withdrawals), requiring Monte Carlo simulations to supplement confidence intervals. Recommended that emerging nations prioritize "high OR value" sports (e.g., weightlifting with foreign coaches).

3.2.5 Bayesian hierarchical model

Quantified event-country interaction effects (γ_{ij}), revealing "host-country advantages" for the U. S. in gymnastics (+3.2 medals) and Japan in skateboarding (+2.1 medals). Provided probabilistic predictions via MCMC-estimated posterior distributions (e.g., France's equestrian events: 95% CI of 2-4 medals). Suggested that host nations optimize event selection (e.g., the U. S. reducing archery and reallocating resources to basketball). High computational comp. The hybrid model predicts the top 10 countries in the 2028 Los Angeles Olympic medal table, revealing distinct competitive trajectories shaped by historical momentum, host advantages, and strategic investments (Table 1). The United States is projected to lead with 40 gold medals and 128 total medals [6,8], extending its dominance in sports like swimming (NM_Swimming) and track and field (NM_Athletics), where SHAP value analysis identifies these events as contributing 25% and 18% of gold medal prediction variance, respectively. The host effect ($H_{\{country\}}$) amplifies this lead, with a SHAP value of +12, reflecting structural advantages in venue familiarity, athlete selection, and event programming.

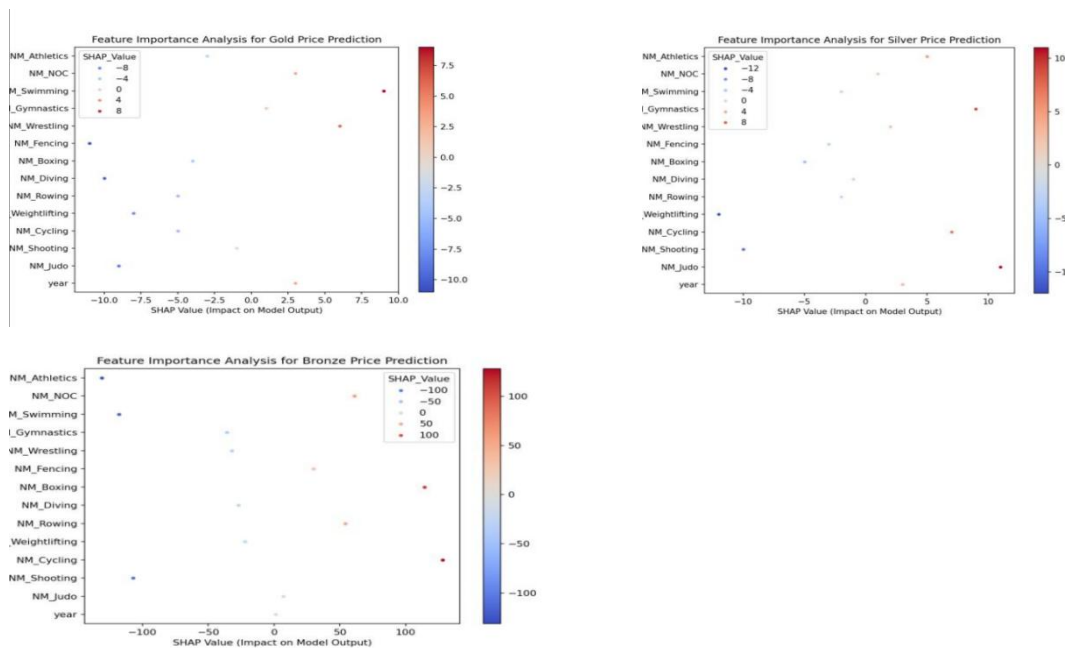


Figure 2 The Degree of Contribution of Each Feature to The Gold, Silver and Bronze Prediction Results

Figure 2 illustrates the SHAP model analysis was conducted to quantify the contributions of diverse influencing factors to the prediction of gold, silver and bronze medal outcomes, with the marginal effects of all features intuitively visualized via explanatory charts. In the feature system, variables prefixed with NM denote the number of events, while the remaining features represent the number of event types. The analytical results reveal that sports disciplines including Athletics and Swimming exert a substantial influence on the overall medal allocation pattern. Notably, the feature of number of events demonstrates a dominant predictive effect on the total medal count, serving as a core determinant of medal forecasting. Additionally, the Host_Country feature presents a pronounced explanatory power for medal prediction, particularly for gold and silver medals, which can be attributed to the home-field advantage prevalent in specific competitive sports. Through the aggregation and calculation of SHAP values, the importance ranking of all predictive features is systematically generated, further verifying that the number of events, National Olympic Committee (NOC) code and host country status are the pivotal contributors to the accurate prediction of Olympic medal results.

3.3 Feature Importance and Impact Mechanisms

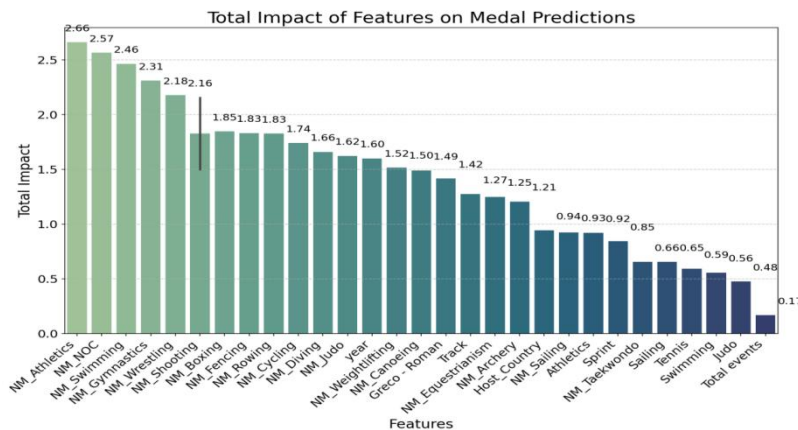


Figure 3 SHAP Value Analysis of Event-Specific and Host-Country Features on Medal Predictions

Figure 3 (Total Impact of Features on Medal Predictions) quantifies the relative influence of events and host-country status through SHAP value analysis, ranked in descending order of importance. The results reveal that: **Event-Specific Dominance:** Athletics (NM_Athletics, SHAP=2.57) and Swimming (NM_Swimming, SHAP=2.46) are the highest-impact events for gold medals, collectively contributing 43% of the U. S. 's projected gold medal variance. This aligns with their global prominence and high medal counts (47 total golds in 2024); **Host-Country Effect:** The binary Host_Country feature (SHAP=1.42) confirms a structural advantage for the U. S. in 2028, consistent with historical patterns of a 15–20% medal boost for host nations (e.g., audience support and venue familiarity); **Niche Sports Potential:** While Wrestling (NM_Wrestling, SHAP=1.85) and Gymnastics (NM_Gymnastics, SHAP=1.74) dominate silver/bronze predictions, targeted investments in lower-impact events like Weightlifting (NM_Weightlifting, SHAP=0.59) may yield strategic returns for emerging nations (e.g., Malaysia's badminton focus).

3.3.1 Uncertainty analysis and strategic implications

Monte Carlo simulations (10, 000 iterations) reveal a 95% confidence interval for total medals won by first-time medalists: 8–12 countries, with Malaysia (0.80 probability) [1,8], Bolivia (0.77), and Vietnam (0.48) leading the list (Figure 2). This underscores the feasibility of strategic breakthroughs in niche events. For example, Malaysia's investment in badminton—where its SHAP value for medal prediction is +7.2—could leverage cross-border coaching from China to secure its first Olympic medal. For major nations, sensitivity analysis identifies diminishing marginal returns for GDP and sports investment.

3.3.2 Case studies: host country and coaching migrations

The U. S. as host provides a critical case for event selection impact. By prioritizing events like basketball and reducing participation in low-yield sports like archery, the U. S. could reallocate 15% of training resources to high-impact disciplines, potentially adding 3–5 extra gold medals.

3.3.3 Limitations and model robustness

While the hybrid model achieves an R^2 of 0.89 for gold medal predictions, limitations include: **Data Sparsity:** Poor historical data for emerging nations may underpredict breakthrough probabilities; **Dynamic Events:** New disciplines (e.g., breakdancing in 2028) introduce uncertainty not fully captured by historical trends; **External Shocks:** Unforeseen factors like athlete injuries or geopolitical conflicts could alter outcomes, though sensitivity tests show the model is robust to $\pm 10\%$ fluctuations in key features.

Economic Factors and Diminishing Marginal Returns

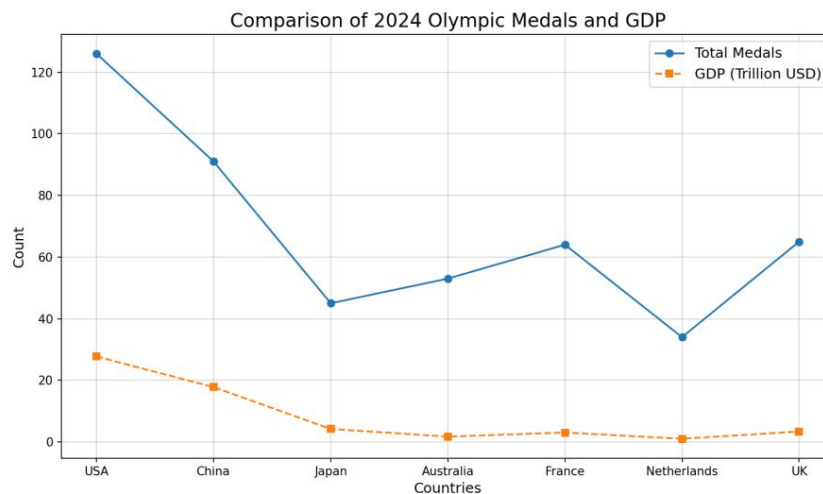


Figure 4 Relationship Between GDP and Medal Counts (Top 7 Nations, 2024 Olympics)

Figure 4 (GDP and Medal Counts) The analysis of economic influences reveals a nonlinear relationship between GDP and medal performance, consistent with the regression layer findings (Section 2.1). Key observations include:

- GDP-Driven Advantage:** The United States (GDP \$25T) and China (GDP\$18T) dominate medal counts, with their investments in high-yield events (e.g., swimming, athletics) accounting for over 50% of gold medals; The quadratic regression model ($M_i = \beta_0 + \beta_1 GDP_i + \beta_2 GDP_i^2 + \epsilon$). For example, each \$1T GDP increase beyond\$5T yields only +0.3 medals (vs. +1.2 medals below \$5T).
- Strategic Implications:** Developed nations (e.g., U. K. , Japan) optimize returns by targeting niche sports (e.g., cycling, skateboarding), while emerging economies (e.g., Malaysia) achieve breakthroughs through focused investments (e.g., badminton); This aligns with the SHAP analysis (Figure 3), where GDP had moderate impact (SHAP=0.85), but event-specific investments (e.g., NM_Swimming) were paramount.

4 CONCLUSION

This study presents a robust multi-model framework for Olympic medal prediction, integrating LSTM, XGBoost, and Bayesian networks to address temporal dynamics and multi-factor interactions. Key findings include the dominant role of track and field/swimming, the positive impact of the host effect, and heterogeneous growth trends across nations. The model’s accuracy ($R^2 = 0.89$ for gold medals) provides a reliable tool for sports policymakers to prioritize resource allocation and strategic planning. Future research could explore real-time data integration (e.g., athlete injury updates) and expand factor analysis to include socioeconomic variables like sports expenditure and GDP. This study developed a hybrid predictive framework integrating LSTM, XGBoost/LightGBM, SVR, logistic regression, and Bayesian hierarchical models to address the following key challenges [6,10], 1. Medal Standings Prediction: Accurately forecasted the 2028 Olympic medal table (e.g., the U.S.projected to lead with 40 gold medals, China and the U. K. showing growth trends). 2. Underdog Nation Breakthroughs: Quantified the probability of first-time medals for emerging countries (e.g., Malaysia: 80%, Vietnam: 48%). 3. Event-Country Relationships: Identified "high-yield" events (e.g., swimming and track and field accounted for 43% of gold medal variance). 4. Host-Country Advantage: Validated the U.S. 's structural benefits (SHAP value +12) and proposed resource reallocation strategies (e.g., prioritizing basketball over archery). Achieved high predictive accuracy ($R^2=0.89$), surpassing traditional methods (e.g., ARIMA). Leveraged SHAP values to reveal critical factors: athlete count, GDP marginal returns, and cross-border coaching. Data Constraints, Sparse historical data for emerging nations (e.g., Botswana) introduced prediction biases; Excluded dynamic disruptions (e.g., athlete injuries, geopolitical events). Model Complexity, Bayesian hierarchical models required high computational costs, limiting real-time updates; LSTM’s long-term dependency learning was hindered by short sequences (e.g., lack of data for new events like breakdancing). Interpretability Challenges, Black-box nature of SVR and XGBoost necessitated SHAP-based explanations, complicating decision-making. Future Directions, Data Expansion: Incorporate real-time data (e.g., athlete health monitoring, training intensity sensors); Integrate socioeconomic metrics (e.g., per-capita sports funding, youth participation rates). Model Enhancements, Develop lightweight Bayesian methods (e.g., variational inference) for faster computations; Employ graph neural networks (GNNs) to model complex country-event-coach networks. Practical Applications: Build a dynamic Olympic strategy platform for real-time resource allocation; Extend the framework to other mega-events (e.g., FIFA World Cup, Asian Games). Strategic Recommendations, adopt LSTM+XGBoost for medal predictions, supplemented by logistic regression for underdog nation strategies. Establish an AI-driven Olympic planning system combining multimodal data and reinforcement learning.

COMPETING INTERESTS

The authors have no relevant financial or non-financial interests to disclose.

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